

Discrete-Event Simulation of Clients Flow in Ante-Natal Clinic

Abstract

Clients (**expecting** mothers) wait for hours in ante-natal clinic to receive medical service – waiting before, during or after being served. This study deals with dynamic queuing system which present the results of the study that evaluates the effectiveness of queuing simulation model in identifying the ante-natal clinic queuing system parameters in terms of server utilization, usage, and clients flow time. The study uses the Simmer package in R for Discrete-event Simulation of the clients' flow in the system. The study showed that the resources are highly utilized with bottleneck at the Doctors station, with constant service time for all clients, and long waiting time in the system. By replicating the parameters or replicate the model execution, once, with different initial conditions (by adding resources) and then perform another simulation over the output, the result showed that the resources are utilized with no bottlenecks at each server station, constant activity and flow time for all clients (**expecting** mothers). Hence, the model has proved to be accurate and efficient. This will help the clinic to utilize the resources and reduce long flow time.

Keyword: Discrete-event, Simulation, Clients' flow, Simmer Package

1. INTRODUCTION

The complexity of many real-world systems involves many unaffordable analytical models, and consequently, such systems are commonly studied by means of simulation. As defined by **Shannon (1975)**, simulation “is the process of designing a model of a real system and conducting experiments with this model for the purpose of either understanding the behaviour of the system or of evaluating various strategies for the operation of the system”. Different types of simulation apply depending on the nature of the system under consideration. A common model taxonomy classifies simulation problem along three main dimensions (**Law et al, 2000**): (i) Deterministic Vs. Stochastic. (ii). Static Vs. Dynamic (depending on whether they require a time component). (iii). Continuous Vs. Discrete (depending on how the system change). Discrete-event simulation is a specific technique for modelling stochastic and or deterministic, dynamic and evolving system.

Simulation is useful to measure performance in systems that are so complex that they cannot be described by analytical queuing models (**Green et al, 2006**). To model any system we need to define its state space, that is, the variables that govern the behaviour of the system with respect to the metrics being estimated. If the variables continuously change with time it is called a continuous system. If the system state instantaneously changes at discrete points in time, instead of continuously, it is called a discrete system.

1.1 Discrete Event Simulation

Discrete-event simulation is an analysis methodology that permits hospital administrators / clinic managers to evaluate the efforts of existing healthcare delivery systems, to ask “what if?” questions, and design new healthcare delivery system operations. Discrete-event simulation permits **analysing** bottlenecks and modelling the details of complex patients flows in hospitals (**Jacobson et al, 2006**), it has become a popular tool for health care decision-makers to support their efforts in achieving their objectives.

Discrete- event simulation is also used as a forecasting tool to assess the potential impact of changes in patients' flow, to examine asset allocation needs (such as in staffing levels or in physical capacity), and or to investigate the complex relationships among different system variables (such as the rate of patients' arrivals or the rate of patient service delivery). Such information allows healthcare administrators and analysts to identify management alternatives that can be used to reconfigure existing healthcare systems, to improve system performance or design, and or to plan new systems, without altering the existing system.

50 Discrete-event simulation in the analysis of healthcare systems has become increasingly more accepted by healthcare
51 decision-makers as a viable tool for improving operations (Jacobson et al, 2006).

52 The aim of this study is to use Discrete-event simulation model to minimize the waiting time of **expecting** mothers and
53 maximize the utilization of the resources (Nurse, Doctor, Administrator) in ante-natal care unit of Aminu Kano Teaching
54 Hospital.
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56 2. MATERIALS AND METHODS

57 2.1 Method of Data Collection

58 The procedure used in collecting the data was by primary method of data collection with the principle of observation
59 method which involves the physical presence of researchers collecting the data. The researcher observed the arrivals and
60 departures of **expecting** mothers at the Ante-Natal Care Unit per hour, including the service time at each phase.

61 2.2 Methodologies of Discrete-event Simulation

62 **We** now consider how to simulate discrete-event systems. The most common strategies for designing and implementing
63 discrete-event simulation programs are (Rajesh, 1997)

- 64 1. Event Scheduling: In event scheduling, list of all events in the system are constructed. Each event is taken
65 individually and described in terms of the particular interaction between entity and resource. Associated with
66 each event is the corresponding action or procedure to be invoked when the event occurs.
- 67 2. Activity Scanning: The purpose of the activity scanning is to overcome the reactivation problem of event
68 scheduling.
- 69 3. Process Interaction: The process interaction methodology describes the system's workings from the view-point
70 of an entity flowing through the system.
- 71 4. System State Variables: The system state variables are a set of data required to define the internal process within
72 the system at a given point of time.

73 2.3 Discrete-event Simulation Modelling Concepts

74 1. Model: A model is a representation of an actual system.

75 2. Entities and attributes: An entity represents an object whose value can be static or dynamic, depending upon the process
76 with other entities. Attributes are the local values used by the entity.

77 3. Resources: A resource is an entity that provides service to one or more dynamic entities at a time.

78 4. List Processing: Entities are managed by allocating them to resources that provide service, by attaching them to event
79 notices thereby suspending their activity into the future, or by placing them into an ordered list. Lists are used to represent
80 the queues by the entities and resources.

81 5. Activities and Delays: An activity is a duration time whose duration is known prior to commencement of the activity
82 whereas a delay is an indefinite duration that is caused by some combination of system conditions.

83 6. Events: An event is any change in the state of the system.

84 2.4 Steps in a Simulation Study

85 Modelling the process include the following steps

86 Step I: Examine the problem. In this stage, the simulation analyst must understand the problem and choose its
87 classification accordingly, such as deterministic or stochastic.

88 Step II: Design a model. In this stage, the simulator will perform the following tasks which will help to design a model –

- 89 ➤ Collect data as per the system behaviour and future requirements.
- 90 ➤ Analyse the system features, its assumptions and necessary actions to be taken to make the model successful.
- 91 ➤ Determine the variable names, functions, its units, relationships and their applications used in the model.
- 92 ➤ Solve the model using a suitable technique and verify the result using verification methods. Next, validate the
93 result.
- 94 ➤ Prepare a report which include results, interpretations, conclusion and suggestions.

95 Step III: Provide recommendations after completing the entire process related to the model. It includes investment,
96 resources, algorithms, techniques, etc.

97 2.5 Method of Analysis

98 The Simmer Package for Discrete- event simulation model was used in simulating the **clients** flow. Simmer is a process-
99 oriented and trajectory-based Discrete-Event Simulation (DES) package for R designed to be a generic frame work it
100 leverages the power of RCPP to boost the performance and turning DES in R feasible. As a noteworthy characteristic,
101 simmer exploits the concept of trajectory: a common path in the simulation model for entities of the same type. It is pretty
102 simple to use, and leverages the chaining/piping workflow introduced by the magritt r package (Inaki et al. 2019).

103 2.5.1 The Simmer Environment

104 First of all, **we** load the packages (simmer and simmer.plot), instantiate a new simulation environment, call it ante-natal
105 clinic, and create the client trajectory. Next we define the processes trajectories and the completion time for the different
106 activities as random draws from probability distributions or fixed variables (**we are using fixed variables for this study**
107 **since the model is deterministic**). Likewise, the inter arrival times for the clients are defined, see Appendix I.

108 The trajectory in Appendix I illustrates the two most basic activities available: displaying a message seize() and spending
109 sometime in the system (timeout()). An arrival attached to this trajectory will execute the activities in the given order, i.e.,
110 it will display “Entering the trajectory”, then it will spend some units of (simulated) time, and finally it will display
111 “Leaving the trajectory”. That is, the trajectory of an incoming client starts by seizing a nurse, it takes a fixed time of 15
112 minutes for check-up and release the nurse. Then, the client seizes the Doctor, takes a fixed time of 18minutes for
113 consultation and release the doctor. And at last, the client seizes the administration for 5minutes to schedule for the next
114 appointment and release the administration. And the client leaves the system. Finally the trajectory releases the client, so
115 that it is ready again (Inaki et al., 2019a).

116 Once the processes trajectories are defined, the second block instantiates the simulation environment, **we** define the
117 simulation time (start time and end time), creates resources (that is, append 5 identical nurses, 5 identical doctors and 3
118 identical administrators to the simulation environment), attaches a generator to the clients trajectory with inter-arrival time
119 of 3minutes and run the simulation for 480 units of time.

120 The simulation will be run for some units of times, and the simulator will monitor all the state changes and lifetimes of
121 all processes, which enables any kind of analysis without any additional effort from the modeler’s side (Inaki, et al.,
122 2019a).

123 Next, **we** use the visualization tools, that is the plot model with metric clients, the plot of resources with metrics the
124 usage of a resource (nurse, doctor and administration) over the simulation time frame and the utilization of specified
125 resources (nurse, doctor and administration) in the simulation, and the plot of arrivals with metrics activity time, waiting
126 time and flow time.

127 Typically, running a certain simulation only once does not provide the information needed by the simulation analyst
128 (Inaki, et al. 2019). **We** will replicate the model execution, many times, with different initial conditions (by adding
129 resources) and then perform another simulation over the output (Banks, 1991). Running simulation more than once can be
130 achieved using the standard R tools, e.g. The lapply or simulator function. This study uses the lapply() and Wrap() to
131 perform **100** replicates of the simulation, but the trajectory need not be redefined as shown in Appendix II.

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133 3.0 DATA ANALYSIS

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135 This chapter presents the results of Discrete-event simulation of clients’ flow in Ante-natal clinic.

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137 3.1 Presentation of Simulation results and Graph

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139 Here, the number of servers is finite, so the clients are served according to a specific order, First-In-First-Out with a
140 constant service time (the service consists of essentially the same routine task for all clients) and that the input parameters
141 (service time) for the model used fixed numbers (single values) rather than a distribution in the function since the model is
142 non-stochastic (hence deterministic). Also, the model assumes that all inter-arrival times equal some fixed constant.
143 Therefore, the average inter-arrival time between clients is

$$\frac{(1.8 + 1.5 + 6) \text{ min } \textit{utes}}{3} = \frac{9.3 \text{ min } \textit{utes}}{3} \approx 3 \text{ min } \textit{utes}$$

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At the client’s trajectory

Nursing Station (Phase I): The client will seize one Nurse and remains for 15 minutes and release the Nurse. Then moves from the Nursing station and joins the queue for consultation.

Doctors station (Phase II): The client will seize one Doctor for consultation and remain for 18minutes and release the Doctor. And then move to the administration.

153 Administration Station (Phase III): Here, the client will seize one administrator to schedule for the next appointment for at
 154 most 5minutes and release the administration, and then exit the system as shown in the client's flow is shown in Fig 1 on
 155 the next page.

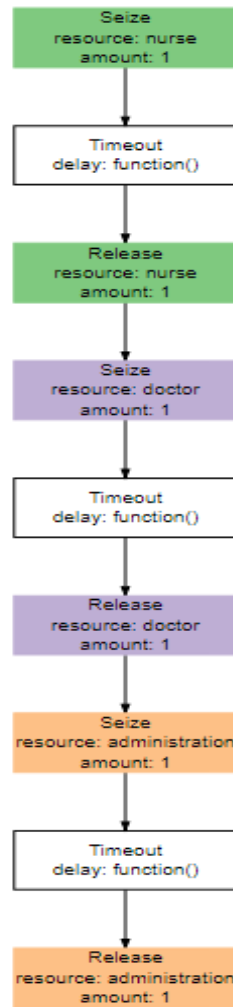


Fig 1 Clients flow plot

156 We add resources using the function add resources, we add Five Nurses, Five Doctors and Five Administration staff and
 157 add generator. And run the simulation for 480minutes (from 06:00am to 02:00pm) The simulation has been run for
 158 100times using the lapply function twice for the same empirical data obtained using the SIMMER package for Discrete-
 159 Event Simulation (Inputs and Outputs in Appendix Appendix III).
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3.2 Simulation Results

3.2.1 First Simulation Output:

166 Mean inter-arrival time = 3minutes
 167 Simulation for 0 to 8hours (i.e., 480minutes)
 168 Number of clients generated = 160
 169 Resource: Nurse
 170 Server Status = 5(5)
 171 Queue = 0 (Inf)
 172 Resource: Doctor
 173 Server Status = 5(5)
 174 Queue = 25 (Inf)
 175 Resource: Administration
 176 Server Status = 1 (3)
 177 Queue = 0 (Inf)
 178 Simulation time = -7.992449seconds
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181 The metrics we are measuring from the resources are utilization and usage overtime, and the metrics from arrivals are
 182 waiting time, activity time and flow time. The following figures will describe the metrics from resources and arrivals.

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From the resource utilization plot in Fig 2 below, we can see that the Doctors and Nurses are 99% utilized which shows that their bottleneck at the Doctors and Nursing station.

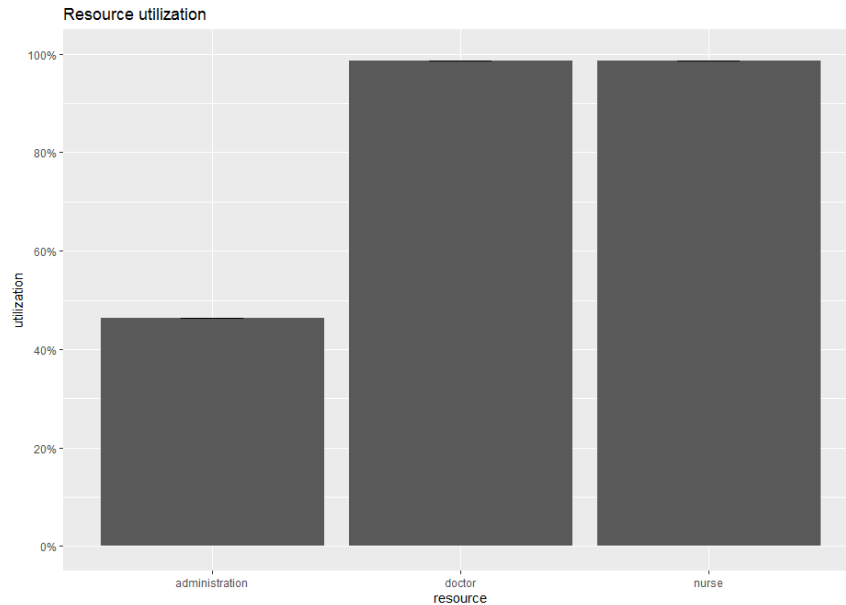


Fig 2 Resource Utilization Plot

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From the resource usage plot in Fig 3, we can see in the graph field, there are two lines the red line and the blue line. The red line represents the queue while the blue line represents the server. At the Doctors station, the red line (queue) crosses over the blue line (servers ceiling) which shows there is bottleneck at the Doctors station. At the Nursing and Administration station (the queue line does not cross the server ceiling) which shows there is no bottleneck at the stations.

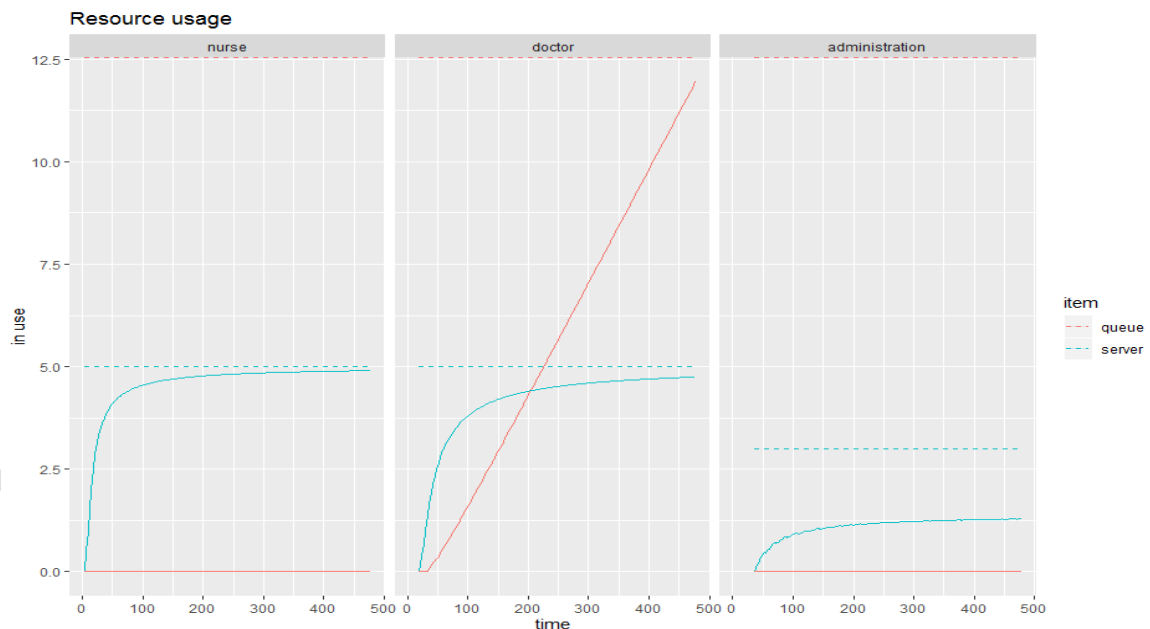


Fig 3 Resource Usage Plot

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From the clients waiting time evolution plot shown in Fig 4, the clients waiting time is increasing by time. At the first 100minutes, we can see that the waiting time was 11minutes, as time goes on, when the clients are filing up, the queue gets longer and the arrivals waiting time reaches up to 75minutes. The blue line in the graph field is the trend line of 100 simulations and the black hair is simulation of its own.

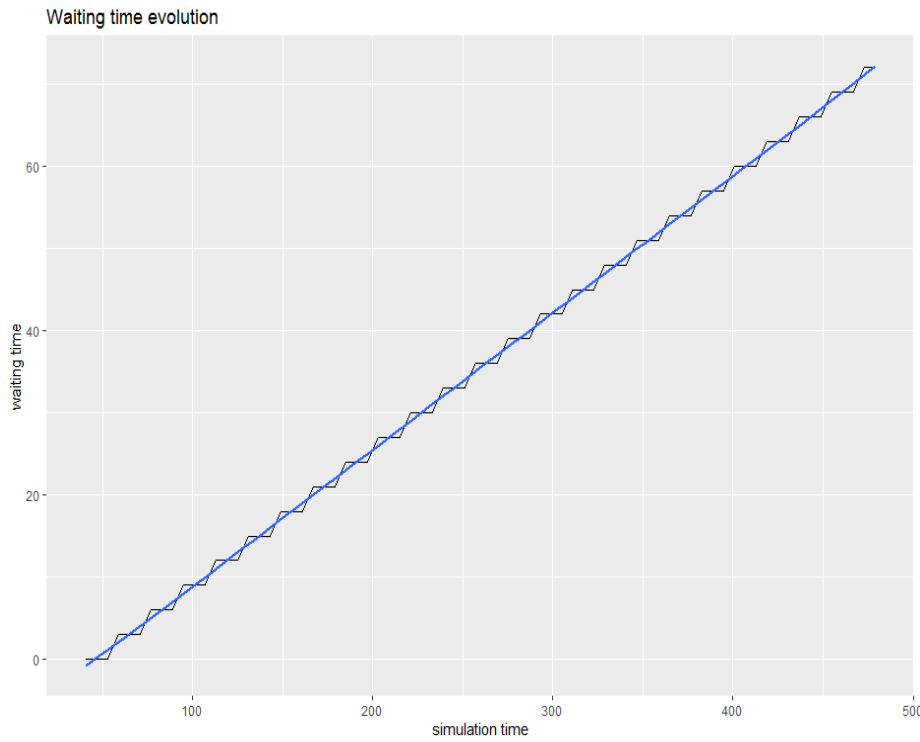


Fig 4 Waiting Time Evolution Plot

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The activity time is constant overtime (the service time is fixed). The blue line in Fig 5 below represents the trend line.

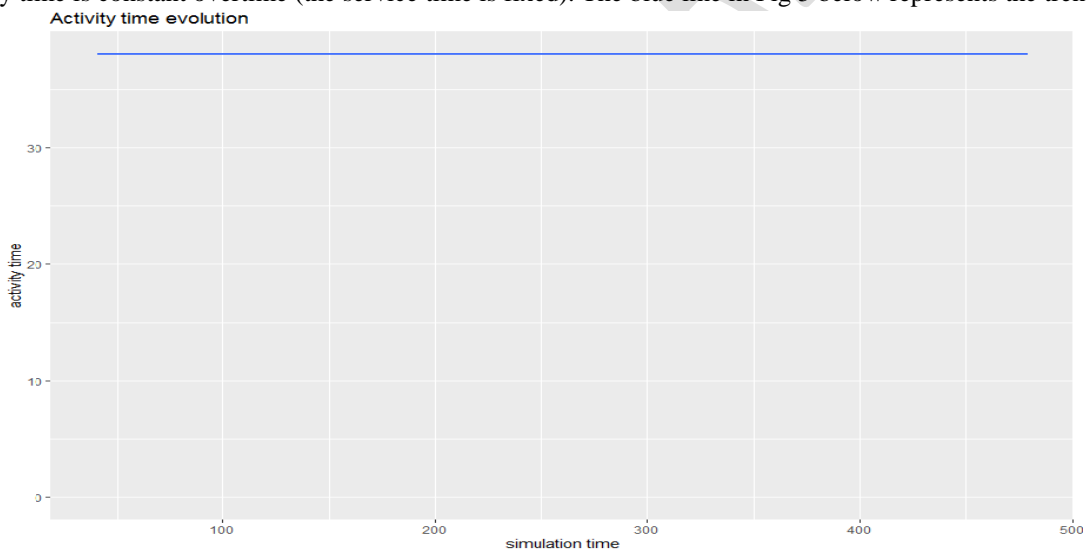


Fig 5 Activity Time Evolution

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The flow time (total processing time) evolution plot in Fig 6 below shows the time spent by clients in the system from beginning to end, as the time increases the flow time also increases, i.e. at 45minutes the flow time was 38minutes, as the time goes up the clients processing time reaches to 95minutes.

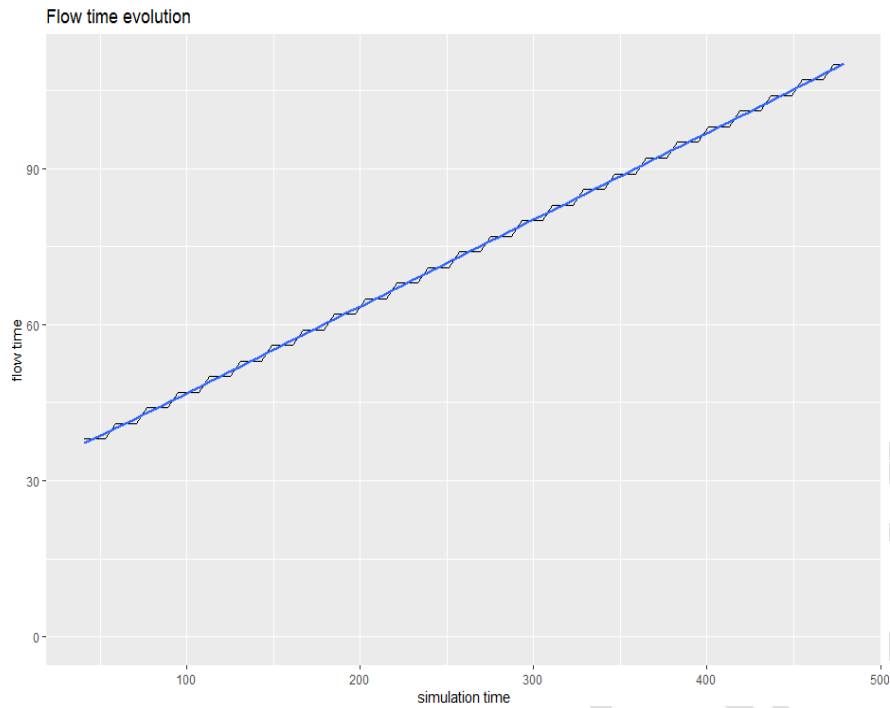


Fig 6 Flow Time Evolution

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3.2.1 Second Simulation Outcome:

We changed the settings from the Doctors station by adding one more Doctor and rerun the simulation.

Mean inter-arrival time = 3minutes

Simulation for 0 to 8hours (i.e., 480minutes)

Number of clients generated = 160

Resource: Nurse

Server Status = 5(5)

Queue = 0 (Inf)

Resource: Doctor

Server Status = 6(6)

Queue = 0 (Inf)

Resource: Administration

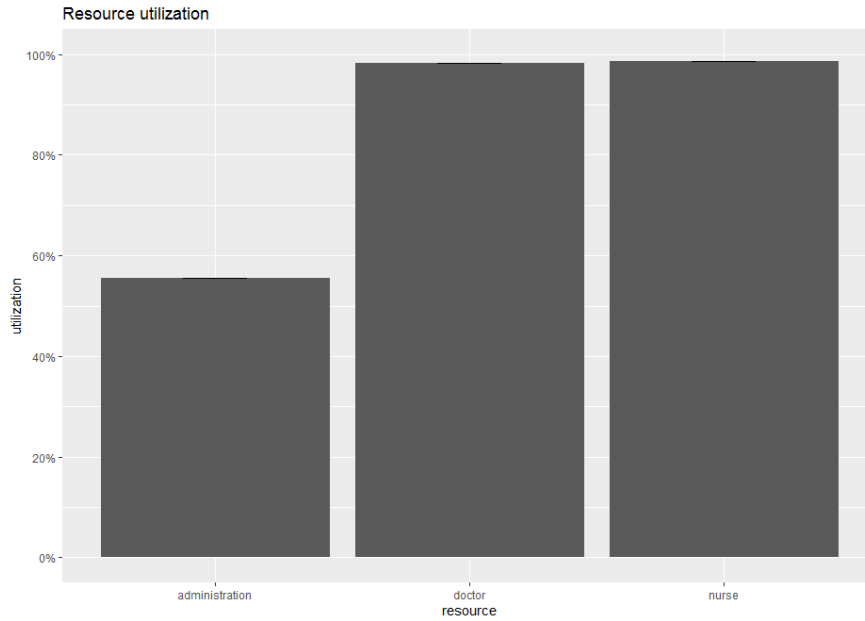
Server Status = 1 (3)

Queue = 0 (Inf)

Simulation time = -7.20seconds

The metrics we are measuring from the resources are utilization and usage overtime, and the metrics from arrivals are waiting time, activity time and flow time. The following figures will describe the metrics from resources and arrivals.

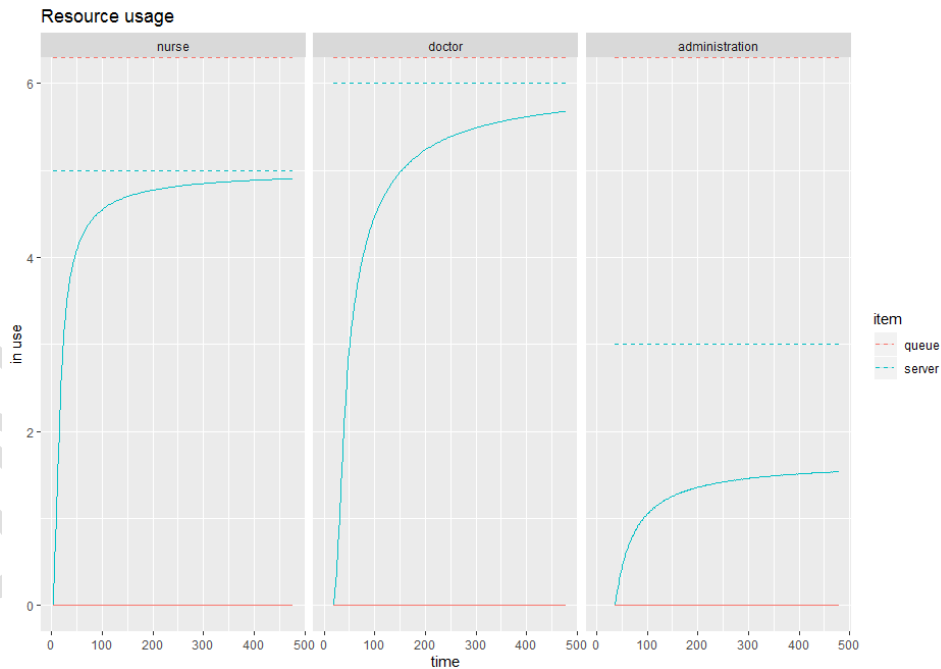
250 From the resource utilization plot in Fig 7 below, the plot shows that the Doctors and Nurses are 96% utilized and there is
251 no bottleneck at the Doctors station like in the previous simulation.



252
253 **Fig. 7 Resource Utilization Plot**

254 The resource usage plot shows that the queue at the Doctors station does not cross the server ceiling, which means that the
255 bottleneck at the Doctors station disappeared by adding one Doctor. Also, there is no queue at the Nursing and
256 Administration stations.

257
258 The resource usage plots in Fig 8 shows that the queue at the Doctors station does not cross the server ceiling, which
259 means that the bottleneck at the Doctors station disappeared by adding one Doctor. Also, there is no queue at the Nursing
260 and Administration stations.



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262 **Fig. 8 Resource Usage Plot**

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271 By adding one more Doctor to the resources, as shown below in the graph the clients waiting time drops to zero.

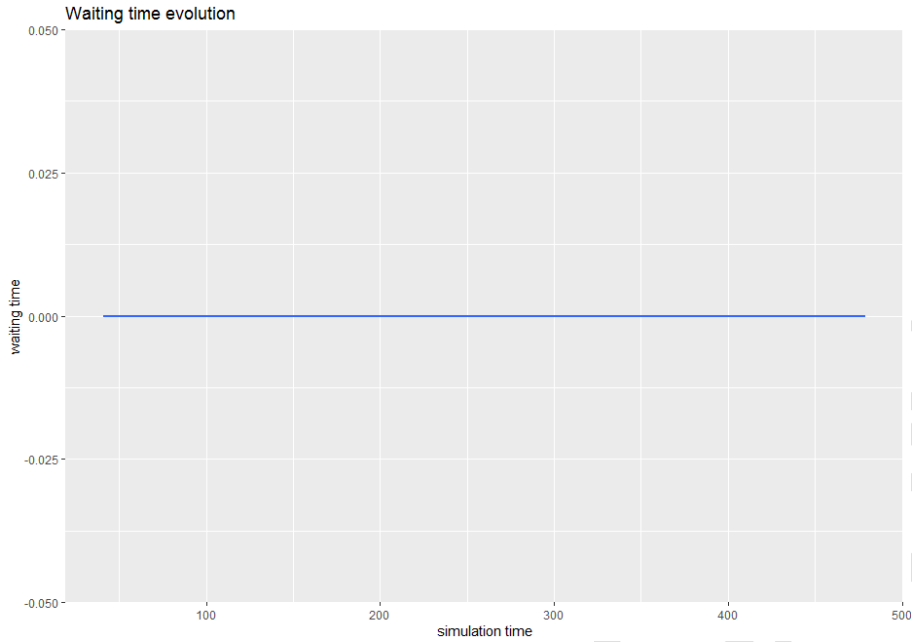


Fig. 9 Waiting Time Plot

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The activity time and flow time are constant overtime (the service time is fixed), as shown in Fig 10 below.

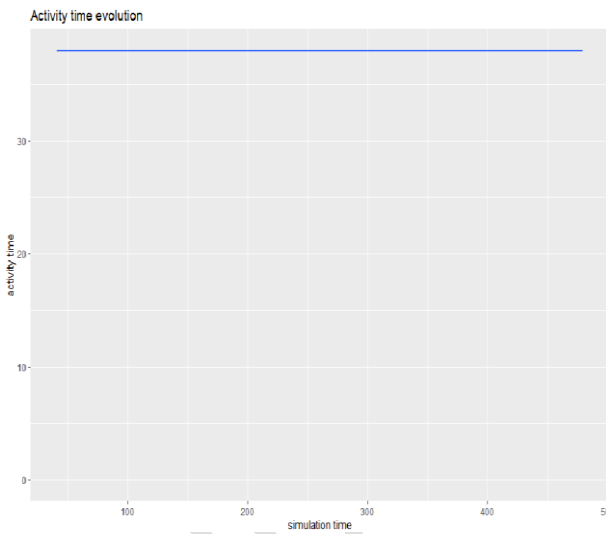


Fig 10a Activity Time Plot

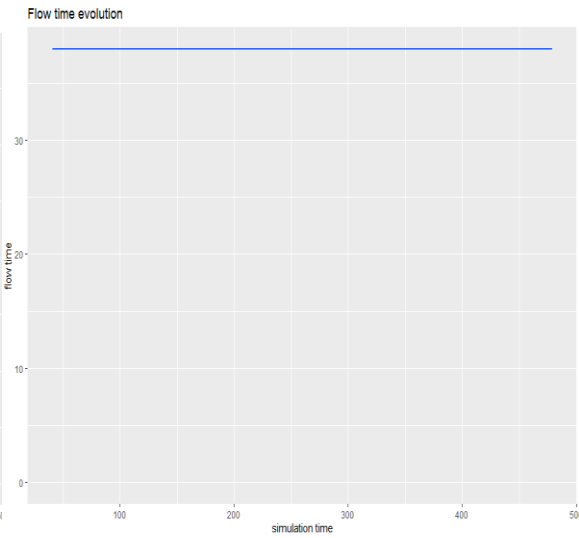


Fig 10b Flow Time Plot

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279 4 DISCUSSION OF RESULT

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281 Discrete event simulation model was used to analyze the system which measures the metrics (utilization and usage
282 overtime) of the resources (Doctors, Nurses and Administrators) and the metrics (waiting time, activity time, and flow
283 time) of the clients. The simulation was replicated twice with 100 repetitions in each simulation for 480minutes (8hours).

284 On the basis of results obtained from the first simulation, with constant inter-arrival and service times, 160 clients were
285 generated and 25clients waiting at the Doctors station. The graph of the of server utilization shows that the Doctors and
286 Nurses are highly utilized (there is bottleneck at the Doctors and Nursing Stations). The resource usage plot shows the
287 queue line is below then server ceiling at the Nurse and Administration station but crosses the server ceiling at the
288 Doctors station which indicates that from 0 to 8hours of the clinic services (0 – 480 minutes), the queue grows
289 simultaneously at the Doctors station as the time of the day goes on.

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291 The waiting time evolution plot shows at the first 100minutes the waiting time was 11minutes, and as the time increases
292 the waiting time of the clients also increases. The activity time is constant overtime (service time) and from the total

293 processing time (flow time) plot, the time clients spend in the system at 45minutes of simulation was 38minutes, but as
294 the time increases the queue grows larger and the flow time increase to 110minutes at 480minutes simulation time.
295 We add one Doctor to the resources and replicate the simulation, the resource utilization plot shows that all the resources
296 are highly utilized but there is no bottleneck at each station, in the resource usage plot it was discovered that the queue
297 line at the Doctors station dropped (does not cross the server ceiling). The activity time is constant overtime, the clients
298 waiting time drops to zero and the clients flow time in the second simulation is constant (47minutes for all clients).
299

300 The research concludes it is optimal to have six Doctors in the Ante-natal clinic. According to the study, the research has
301 shown that Discrete-event simulation Model is more accurate than other models to be used in simulating patients flow in
302 hospitals and a tool for decision making on issues of resourcing and capacity planning.
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304 5 CONCLUSION

305 Providing patients with timely access to appropriate medical care is an important element of health care delivery and
306 increases patient satisfaction. “When” care is received, is often as important as “What” care is received. In this study,
307 applications of queuing theory in modeling hospital services (ante-natal clinic) has been used in measuring the
308 performance of the resources (server utilization and usage) and clients flow time in the system since the healthcare
309 facilities are interested in improving the system performance. The study establishes expecting mothers are not satisfied
310 with long waiting times and experience negative effects as a result. Queuing simulation model is an effective and
311 powerful modeling technique that can help the Hospital administrators to make decisions on staffing needs for optimal
312 performance with regards to queuing challenges in the clinic. This study should therefore be replicated in other clinics and
313 departments in Aminu Kano Teaching Hospital and other Hospitals as well in order to inform hospital administrators
314 more on the usefulness of the application of queuing theory and simulation modeling as a tool for improved decision
315 making with regards to the waiting line challenges that are faced by the hospital.
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APPENDIX I

```
library(simmer)
library(simmer.plot)

# create environment
env <- simmer("antenatal clinic")
env

# create client trajectory
client <- trajectory (name = "client path", verbose = T)
client

## draw model
client %>%

  seize("nurse", 1) %>% ## need to define resources
  timeout(function() 15) %>%
  release("nurse", 1) %>%

  seize("doctor", 1) %>% ## need to define resources
  timeout(function() 18) %>%
  release("doctor", 1) %>%

  seize("administration", 1) %>% ## need to define resources
  timeout(function() 5) %>%
  release("administration", 1)
```

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APPENDIX II

```
time1 = Sys.time()

envs <- lapply(1:100, function(i){
  simmer("antenatal clinic") %>%
  add_resource("nurse",5) %>%
  add_resource("doctor",5) %>%
  add_resource("administration", 3) %>%
  add_generator(name_prefix = "sim_client_",
               trajectory = client,
               distribution = function() 3)%>%

  run(480) %>%
  wrap()
})

time2 = Sys.time()
time1 - time2

#plot the model
plot(client)
plot(client, verbose = T)

resources <- get_mon_resources(envs)
plot(resources, metric = "utilization")

plot(resources, metric = "usage", c("nurse", "doctor", "administration"),
      items = c ("queue", "server"))

arrivals <- get_mon_arrivals(envs)
plot(arrivals, metric = "waiting_time")
plot(arrivals, metric = "activity_time")
plot(arrivals, metric = "flow_time")
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APPENDIX III

```
1 library(simmer)
2 library(simmer.plot)
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4 # create environment
5 env <- simmer("antenatal clinic")
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8
9 # create client trajectory
10 client <- trajectory(name = "client path", verbose = T)
11 client
12
13 ## draw model
14 client %>%
15
16   seize("nurse", 1) %>% ## need to define resources
17   timeout(function() 15) %>%
18   release("nurse", 1) %>%
19
20   seize("doctor", 1) %>% ## need to define resources
21   timeout(function() 18) %>%
22   release("doctor", 1) %>%
23
24   seize("administration", 1) %>% ## need to define resources
25   timeout(function() 5) %>%
26   release("administration", 1)
27
28 time1 = Sys.time()
29
30 envs <- lapply(1:100, function(i){
31   simmer("antenatal clinic") %>%
32   add_resource("nurse",5) %>%
33   add_resource("doctor",5) %>%
34   add_resource("administration", 3) %>%
35   add_generator(name_prefix = "sim_client_",
36                 trajectory = client,
37                 distribution = function() 3)%>%
38
39   run(480) %>%
40   wrap()
41 })
42
43 time2 = Sys.time()
44 time1 - time2
45
46 #plot the model
47 plot(client)
48 plot(client, verbose = T)
49
50 resources <- get_mon_resources(envs)
51 plot(resources, metric = "utilization")
52
53 plot(resources, metric = "usage", c("nurse", "doctor", "administration"),
54       items = c("queue", "server"))
55
56
57 arrivals <- get_mon_arrivals(envs)
58 plot(arrivals, metric = "waiting_time")
59 plot(arrivals, metric = "activity_time")
60 plot(arrivals, metric = "flow_time")
```

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Output Result:

```
Loading required package: poisson
> library(simmer)
> library(simmer.plot)
Loading required package: ggplot2

Attaching package: 'simmer.plot'

The following objects are masked from 'package:simmer':

  get_mon_arrivals, get_mon_attributes, get_mon_resources

> # create environment
> env <- simmer("antenatal clinic")
> env
simmer environment: antenatal clinic | now: 0 | next:
{ Monitor: in memory }
> # create client trajectory
> client <- trajectory(name = "client path", verbose = T)
> client
trajectory: client path, 0 activities
> ## draw model
> client %>%
+
+   seize("nurse", 1) %>% ## need to define resources
+   timeout(function() 15) %>%
+   release("nurse", 1) %>%
+
+   seize("doctor", 1) %>% ## need to define resources
+   timeout(function() 18) %>%
+   release("doctor", 1) %>%
+
+   seize("administration", 1) %>% ## need to define resources
+   timeout(function() 5) %>%
+   release("administration", 1)
trajectory: client path, 9 activities
{ Activity: Seize      |          0 <- 0x7407c2ee50 -> 0x74078f4900 | resource: nurse, amount: 1 }
{ Activity: Timeout   | 0x7407c2ee50 <- 0x74078f4900 -> 0x7407c227a0 | delay: function() }
{ Activity: Release   | 0x74078f4900 <- 0x7407c227a0 -> 0x7401263a50 | resource: nurse, amount: 1 }
}
{ Activity: Seize     | 0x7407c227a0 <- 0x7401263a50 -> 0x74078f4b80 | resource: doctor, amount: 1 }
{ Activity: Timeout   | 0x7401263a50 <- 0x74078f4b80 -> 0x7407c22860 | delay: function() }
{ Activity: Release   | 0x74078f4b80 <- 0x7407c22860 -> 0x7401263b20 | resource: doctor, amount: 1 }
}
{ Activity: Seize     | 0x7407c22860 <- 0x7401263b20 -> 0x74078f4bc0 | resource: administration, amount: 1 }
{ Activity: Timeout   | 0x7401263b20 <- 0x74078f4bc0 -> 0x7407c22440 | delay: function() }
{ Activity: Release   | 0x74078f4bc0 <- 0x7407c22440 -> 0 | resource: administration, amount: 1 }
}
```

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```

simmer("antenatal clinic") %>%
+   add_resource("nurse",5) %>%
+   add_resource("doctor",5) %>%
+   add_resource("administration", 3) %>%
+   add_generator(name_prefix = "sim_client_",
+                 trajectory = client,
+                 distribution = function() 3)%>%
+
+   run(480) %>%
+   wrap()
+ })
> simmer("antenatal clinic") %>%
+   add_resource("nurse",5) %>%
+   add_resource("doctor",5) %>%
+   add_resource("administration", 3) %>%
+   add_generator(name_prefix = "sim_client_",
+                 trajectory = client,
+                 distribution = function() 3)%>%
+
+   run(480) %>%
+   wrap()
simmer environment: antenatal clinic | now: 480 | next: 480
{ Monitor: }
{ Resource: nurse | monitored: TRUE | server status: 5(5) | queue status: 0(Inf) }
{ Resource: doctor | monitored: TRUE | server status: 5(5) | queue status: 25(Inf) }
{ Resource: administration | monitored: TRUE | server status: 1(3) | queue status: 0(Inf) }
{ Source: sim_client_ | monitored: 1 | n_generated: 160 }
> time1 = Sys.time()
>
> envs <- lapply(1:100, function(i){
+   simmer("antenatal clinic") %>%
+     add_resource("nurse",5) %>%
+     add_resource("doctor",5) %>%
+     add_resource("administration", 3) %>%
+     add_generator(name_prefix = "sim_client_",
+                   trajectory = client,
+                   distribution = function() 3)%>%
+
+     run(480) %>%
+     wrap()
+ })
>
> time2 = Sys.time()
> time1 - time2
Time difference of -7.375293 secs
> #plot the model
> plot(client)
> plot(client, verbose = T)
> resources <- get_mon_resources(envs)
> plot(resources, metric = "utilization")
> plot(resources, metric = "usage", c("nurse", "doctor", "administration"),
+       items = c("queue", "server"))
> arrivals <- get_mon_arrivals(envs)
> plot(arrivals, metric = "waiting_time")
`geom_smooth()` using method = 'gam' and formula 'y ~ s(x, bs = "cs")'
> plot(arrivals, metric = "activity_time")
`geom_smooth()` using method = 'gam' and formula 'y ~ s(x, bs = "cs")'
> plot(arrivals, metric = "flow_time")
`geom_smooth()` using method = 'gam' and formula 'y ~ s(x, bs = "cs")'

```

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